

# Current Distribution in a Chlor-Alkali Membrane Cell

The chlor-alkali membrane process is one of the largest processes in industrial electrolysis with production of roughly 40 million metric tons of both chlorine and caustic soda per year (Ref. 1). Chlorine's largest use is in the production of vinyl chloride monomer, which in turn is used for the production of polyvinyl chloride (PVC). Among the applications of PVC are as electrical insulator in cables and as a material for pipes, carpets, raincoats, and many other products. The production of chlorine implies a simultaneous production of caustic soda (alkali), which is widely used in the chemical industry for alkalization and neutralization of acidic streams. Caustic soda is also used in alkaline batteries.

The traditional process for manufacturing chlorine and caustic soda is the mercury-cell process. This technology has been partly replaced by the diaphragm process, and in later years the membrane process has been the dominating process in retrofits and for new plants. The purpose of the diaphragm or membrane is to separate the products chlorine and caustic soda, which otherwise would react to produce hypochlorite and hydrochloric acid. Chlorine and caustic soda are produced at the anode and cathode, respectively. Figure 1 shows a diagram of the process.

Current density in membrane-cell technology has increased dramatically during the last decade as the membranes themselves have improved. This results in lower investment costs for greater production. However, the increase in current density implies an increase in power consumption if nothing is done to dampen the voltage increase. Advances in cell design by increased internal convection, decreased ohmic losses, and better membranes have allowed for large increases in current density with small increases in cell voltage. One of the important parameters in the design of modern membrane cells is the current-density distribution on the electrode surfaces. It is important, from the viewpoint of catalyst lifetime and minimization of losses, that the current density on the electrode frontal surfaces is as uniform as possible.

This example describes the current-density distribution in a realistic structure for the anodes and cathodes in a membrane cell. This discussion limits the model to one unit cell of the entire cell. This unit cell appears on the right side in Figure 1.

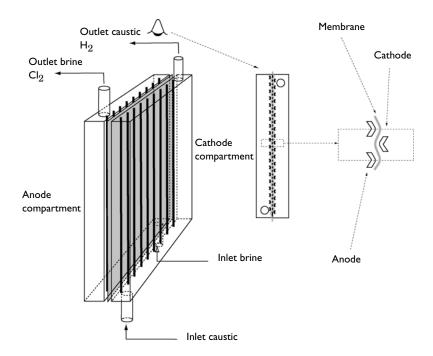


Figure 1: Drawing of the unit cell.

The anode and cathode ribs are separated by the membrane, which is a cation-selective membrane. It is forced to adapt its shape to fit within the interelectrode distance. The membrane prevents mixing between brine and chlorine on the anode side with the caustic soda and hydrogen on the cathode side.

A detailed description of the process of chlor-alkali electrolysis is available in Ref. 1.

# Model Definition

This example models the current and potential distribution in a unit cell in the membrane cell sketched in Figure 1. This model is a secondary current-distribution model (see Ref. 2), which implies that you take into account the dependence of the electron transfer on the local potential, and that you assume constant composition in the subdomains. The electron transfer reactions at the anode and cathode surfaces are:

$$2\text{Cl}^- \Leftrightarrow \text{Cl}_2(g) + 2e^-$$
 at the anode  $2\text{H}_2\text{O} + 2e^- \Leftrightarrow \text{H}_2(g) + 2\text{OH}^-$  at the cathode

The domain in the model is half of the unit cell shown in Figure 1, as explained in Figure 2.

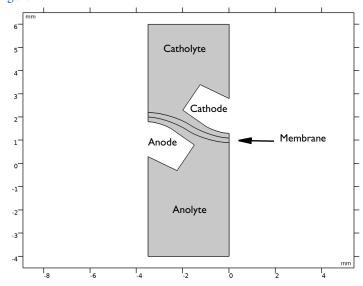


Figure 2: Model geometry.

The chemical reactions show that there is gas evolution in both the anodic and cathodic compartments, creating a vigorous internal convection in the respective compartments. This makes it possible to simplify the model by neglecting the concentration gradients in the anolyte and catholyte. The simplification implies that the transport of ionic current inside the cell takes place exclusively through migration, that is, the electric field induces a flux of ions. For this reason you do not need to model the complex problem of internal free convection of the two-phase flow in order to get an estimation of the current-density distribution in the cell (see also the theory for the Current Distribution interfaces in the Fuel Cell and Electrolyzer Module User's Guide).

Model the current conduction in the membrane and two electrolyte chambers by using the Secondary Current Distribution interface, with different values for the electrolyte conductivity in each domain.

The anode reaction is very fast, and small changes in potential provide large changes in current density. This implies that you can negligible a overpotential (primary condition) at the anode's surface:

$$E_{\text{eq}, a} = \phi_{s, a} - \phi_{l, c} \tag{1}$$

In this case this gives an error in potential of approximately 20 mV at that surface (Ref. 3).

The cell voltage,  $E_{cell}$ , can be written as the difference in metal potential between the anode and cathode:

$$E_{\text{cell}} = \phi_{s,a} - \phi_{s,c} \tag{2}$$

The cell potential may also be expressed based on the equilibrium potentials and the cell polarization potential as:

$$E_{\text{cell}} = E_{\text{eq.}a} - E_{\text{eq.}c} + E_{\text{pol}} \tag{3}$$

which results in

$$\phi_{s,c} = \phi_{s,a} - (E_{eq,a} - E_{eq,c} + E_{pol})$$
 (4)

Grounding the electrolyte potential at the anode,  $\phi_{l,a}$ , gives

$$\phi_{l,a} = 0 \tag{5}$$

which is used as a boundary condition for the anode boundary.

In combination with the primary condition above this results in

$$\phi_{s,c} = -(-E_{eq,c} + E_{pol}) \tag{6}$$

Using the cathode as reference potential ( $E_{\mathrm{eq},c}$ =0) when defining the kinetics this results in

$$\phi_{s,c} = -E_{\text{pol}} \tag{7}$$

This potential is used when defining the Butler–Volmer expression for the relation between current density and potential on the cathode electrode boundary.

# Results and Discussion

Figure 3 shows the potential in the anode and cathode compartments as well as in the membrane electrolyte. From this plot note that the largest ohmic losses arise in the

membrane, as expected from its low conductivity. The arrow plot of the current-density vector shows how the distribution is more uniform on the cathode than on the anode surface.

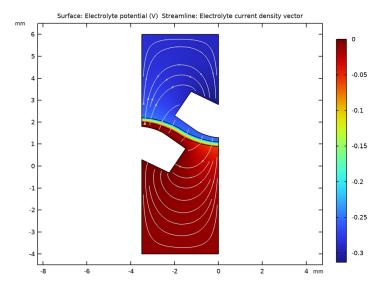


Figure 3: Electrolyte potential.

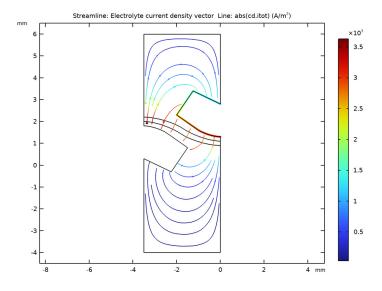


Figure 4: Electrolyte current density magnitude.

Figure 4 shows the modulus of the current-density vector, which illustrates "hot spots" in the electrolyte where the current density is large. On the parts of the electrodes where the current density is high, catalyst can be lost due to accelerated wear.

# References

- 1. H.S. Burney, "Past Present and Future of the Chlor-Alkali Industry," *Chlor-Alkali and Chlorate Technology: R.B. Macmullin Memorial Symposium, Proc Electrochemical Society*, vol. 99–21, 1999.
- 2. J.S. Newman, *Electrochemical Systems*, 2nd ed., Prentice Hall, 1991.
- 3. P. Bosander, P. Byrne, E. Fontes, and O. Parhammar, "Current Distribution on a Membrane Cell Anode," *Chlor-Alkali and Chlorate Technology: R.B. Macmullin Memorial Symposium, Proc Electrochemical Society*, vol. 99–21, 1999.

**Application Library path:** Fuel\_Cell\_and\_Electrolyzer\_Module/Electrolyzers/chlor\_alkali

# Modeling Instructions

From the File menu, choose New.

#### NEW

In the New window, click Model Wizard.

#### MODEL WIZARD

- I In the Model Wizard window, click 20.
- 2 In the Select Physics tree, select Electrochemistry>
  Primary and Secondary Current Distribution>Secondary Current Distribution (cd).
- 3 Click Add.
- 4 Click 🕣 Study.
- 5 In the Select Study tree, select General Studies>Stationary.
- 6 Click M Done.

## **GLOBAL DEFINITIONS**

Start by loading the model parameters from a text file.

#### Parameters 1

- I In the Model Builder window, under Global Definitions click Parameters I.
- 2 In the Settings window for Parameters, locate the Parameters section.
- 3 Click Load from File.
- 4 Browse to the model's Application Libraries folder and double-click the file chlor alkali parameters.txt.

#### GEOMETRY I

The model geometry is available as a parameterized geometry sequence in a separate MPH-file. If you want to build it from scratch, follow the instructions in the section Appendix — Geometry Modeling Instructions. Otherwise load it from file with the following steps.

- I In the Geometry toolbar, click Insert Sequence and choose Insert Sequence.
- 2 Browse to the model's Application Libraries folder and double-click the file chlor alkali geom sequence.mph.
- 3 In the Geometry toolbar, click Build All.
- **4** Click the **Zoom Extents** button in the **Graphics** toolbar.

#### MATERIALS

Define the electrolyte conductivity in the three different domains by adding separate materials for the catholyte, the membrane and the anolyte.

#### Material I (mat I)

- I In the Model Builder window, under Component I (compl) right-click Materials and choose Blank Material.
- 2 In the Settings window for Material, locate the Geometric Entity Selection section.
- 3 Click Clear Selection.
- 4 Select Domain 3 only.
- **5** Locate the **Material Contents** section. In the table, enter the following settings:

Property	Variable	Value	Unit	Property group
Electrolyte conductivity	sigmal_iso; sigmalii = sigmal_iso, sigmalij = 0	K_c	S/m	Electrolyte conductivity

## Material 2 (mat2)

- I Right-click Materials and choose Blank Material.
- **2** Select Domain 2 only.
- 3 In the Settings window for Material, locate the Material Contents section.
- **4** In the table, enter the following settings:

Property	Variable	Value	Unit	Property group
Electrolyte conductivity	sigmal_iso; sigmalii = sigmal_iso, sigmalij = 0	K_m	S/m	Electrolyte conductivity

#### Material 3 (mat3)

- I Right-click Materials and choose Blank Material.
- **2** Select Domain 1 only.
- 3 In the Settings window for Material, locate the Material Contents section.
- **4** In the table, enter the following settings:

Property	Variable	Value	Unit	Property group
Electrolyte conductivity	sigmal_iso; sigmalii = sigmal_iso, sigmalij = 0	K_a	S/m	Electrolyte conductivity

#### SECONDARY CURRENT DISTRIBUTION (CD)

Set up the cathode current density by using an Electrode Surface node. Define the exchange current density in the Electrode Reaction child node.

#### Electrode Surface I

- I In the Model Builder window, under Component I (compl) right-click Secondary Current Distribution (cd) and choose Electrode Surface.
- 2 Select Boundaries 10–12 and 22 only.
- 3 In the Settings window for Electrode Surface, locate the Electrode Phase Potential Condition section.
- 4 In the  $\phi_{s,ext}$  text field, type -E\_pol.

#### Electrode Reaction 1

I In the Model Builder window, click Electrode Reaction I.

- 2 In the Settings window for Electrode Reaction, locate the Electrode Kinetics section.
- **3** From the Kinetics expression type list, choose Butler-Volmer.
- **4** In the  $i_0$  text field, type i0 c.

Electrolyte Potential I

Assuming fast reaction kinetics, a constant potential is set at the anode surface.

Define the potential on the anode by using an Electrolyte Potential node.

- I In the Physics toolbar, click Boundaries and choose Electrolyte Potential.
- **2** Select Boundaries 3, 8, 9, and 17 only.

#### GLOBAL DEFINITIONS

Default Model Inputs

Set up the temperature value used in the entire model.

- I In the Model Builder window, under Global Definitions click Default Model Inputs.
- 2 In the Settings window for Default Model Inputs, locate the Browse Model Inputs section.
- 3 In the tree, select General>Temperature (K) minput.T.
- 4 Find the Expression for remaining selection subsection. In the Temperature text field, type Τ.

#### MESH I

Create a triangular mesh with a higher resolution at the electrode surfaces and on the membrane boundaries.

Free Triangular 1

In the Mesh toolbar, click Free Triangular.

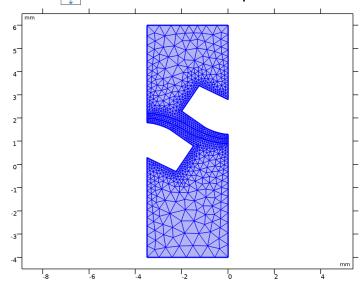
Size 1

- I Right-click Free Triangular I and choose Size.
- 2 In the Settings window for Size, locate the Geometric Entity Selection section.
- 3 From the Geometric entity level list, choose Boundary.
  - Select the anode, cathode and membrane boundaries. The easiest way to do this is by using a selection box around the central part of the geometry.
- **4** Select Boundaries 3–5, 8–12, 14, 15, and 17–22 only.
- 5 Locate the Element Size section. From the Predefined list, choose Extremely fine.
- 6 In the Model Builder window, right-click Mesh I and choose Build All.

## Free Triangular 1

The finalized mesh should now look like this:

- I In the Model Builder window, right-click Free Triangular I and choose Build All.
- 2 Click the Zoom Extents button in the Graphics toolbar.



#### STUDY I

The problem is now ready for solving.

I In the Home toolbar, click **Compute**.

#### RESULTS

Electrolyte Potential (cd)

The first default plot shows the electrolyte potential and an arrow plot of the electrolyte currents.

I Click the Zoom Extents button in the Graphics toolbar.

Electrolyte Current Density (cd)

The second default plot visualizes the electrolyte current density.

- I In the Model Builder window, click Electrolyte Current Density (cd).
- 2 In the Electrolyte Current Density (cd) toolbar, click Plot.

From the File menu, choose New.

#### NEW

In the New window, click Blank Model.

#### ADD COMPONENT

In the **Home** toolbar, click **Add Component** and choose **2D**.

#### **GEOMETRY I**

- I In the Settings window for Geometry, locate the Units section.
- 2 From the Length unit list, choose mm.

Rectangle I (rI)

- I In the Geometry toolbar, click Rectangle.
- 2 In the Settings window for Rectangle, locate the Size and Shape section.
- 3 In the Width text field, type 3.5.
- 4 In the Height text field, type 10.
- **5** Locate the **Position** section. In the **x** text field, type -3.5.
- 6 In the y text field, type -4.

Quadratic Bézier I (qbI)

- I In the Geometry toolbar, click \* More Primitives and choose Quadratic Bézier.
- 2 In the Settings window for Quadratic Bézier, locate the Control Points section.
- 3 In row 1, set x to -2.5.
- 4 In row 1, set y to 1.5.
- 5 In row 2, set x to -3.
- 6 In row 2, set y to 1.8.
- 7 In row 3, set x to -3.5.
- 8 In row 3, set y to 1.8.

Polygon I (poll)

- I In the Geometry toolbar, click / Polygon.
- 2 In the Settings window for Polygon, locate the Object Type section.
- **3** From the **Type** list, choose **Open curve**.
- 4 Locate the Coordinates section. From the Data source list, choose Vectors.

- 5 In the x text field, type -3.5 -3.5 -3.5 -2.25 -2.25 -1.5 -1.5 -2.5.
- 6 In the y text field, type 1.8 0.3 0.3 -0.3 -0.3 0.8 0.8 1.5.

## Convert to Solid I (csoll)

- I In the Geometry toolbar, click Conversions and choose Convert to Solid.
- 2 Select the objects poll and qbl only.

# Quadratic Bézier 2 (qb2)

- I In the Geometry toolbar, click \* More Primitives and choose Quadratic Bézier.
- 2 In the Settings window for Quadratic Bézier, locate the Control Points section.
- 3 In row 1, set x to -1.75.
- 4 In row 1, set y to 1.7.
- 5 In row 2, set x to -2.55.
- 6 In row 2, set y to 2.2.
- 7 In row 3, set x to -3.5.
- 8 In row 3, set y to 2.2.

## Line Segment I (Is I)

- I In the Geometry toolbar, click \* More Primitives and choose Line Segment.
- 2 In the Settings window for Line Segment, locate the Starting Point section.
- 3 From the Specify list, choose Coordinates.
- 4 Locate the **Endpoint** section. From the **Specify** list, choose **Coordinates**.
- 5 Locate the Starting Point section. In the x text field, type -3.5.
- 6 In the y text field, type 2.2.
- 7 Locate the **Endpoint** section. In the x text field, type -3.5.
- 8 In the y text field, type 2.

## Quadratic Bézier 3 (qb3)

- I In the Geometry toolbar, click \* More Primitives and choose Quadratic Bézier.
- 2 In the Settings window for Quadratic Bézier, locate the Control Points section.
- 3 In row 1, set x to -3.5.
- 4 In row 1, set y to 2.
- 5 In row 2, set x to -2.63.
- 6 In row 2, set y to 2.
- 7 In row 3, set x to -1.75.

8 In row 3, set y to 1.4.

Line Segment 2 (Is2)

- I In the Geometry toolbar, click \* More Primitives and choose Line Segment.
- 2 In the Settings window for Line Segment, locate the Starting Point section.
- 3 From the Specify list, choose Coordinates.
- 4 Locate the **Endpoint** section. From the **Specify** list, choose **Coordinates**.
- 5 Locate the Starting Point section. In the x text field, type -1.75.
- **6** In the **y** text field, type 1.4.
- 7 Locate the **Endpoint** section. In the x text field, type -1.75.
- 8 In the y text field, type 1.7.

Convert to Solid 2 (csol2)

- I In the Geometry toolbar, click The Conversions and choose Convert to Solid.
- 2 Select the objects Is1, Is2, qb2, and qb3 only.

Rotate I (rot1)

- I In the Geometry toolbar, click Transforms and choose Rotate.
- 2 Select the objects csoll and csol2 only.
- 3 In the Settings window for Rotate, locate the Input section.
- **4** Select the **Keep input objects** check box.
- 5 Locate the Rotation section. In the Angle text field, type 180.
- 6 Locate the Center of Rotation section. In the x text field, type -1.75.
- 7 In the y text field, type 1.55.

Union I (uni I)

- I In the Geometry toolbar, click Booleans and Partitions and choose Union.
- 2 Select the objects csol2 and rot1(2) only.
- 3 In the Settings window for Union, locate the Union section.
- 4 Clear the **Keep interior boundaries** check box.

Difference I (dif1)

- I In the Geometry toolbar, click Booleans and Partitions and choose Difference.
- 2 Select the object rI only.
- 3 In the Settings window for Difference, locate the Difference section.

- **4** Find the **Objects to subtract** subsection. Click to select the **Activate Selection** toggle button.
- **5** Select the objects **csoll** and **rotl(I)** only.